

The Climate Bits of Climate

$$\text{XCLIM}_{(t,l,h)} = \text{D}_{t,l,h} + \text{S}_{t,l,h} + \text{T}_{t,l,h} + \text{M}_{t,l,h}$$

XCLIM = a climate element at time t , location l and height h

D = diurnal cycle

S = seasonal cycle

T = trends (long-term signal, local effects, ENSO, NAO, Volcanoes, Solar Cycles etc.)

M = microclimate influences (topography, proximity to coastlines, prevailing winds, local environment etc.)



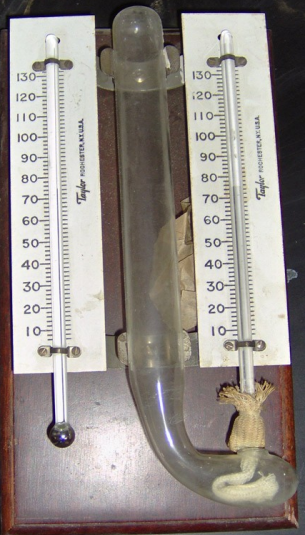
The Non-Climate Bits of Climate

$$X_{(t,l,h)} = X_{CLIM}(t,l,h) + \varepsilon_{t,l,h} + \lambda_{t,l,h}$$

X = observation at time t , location l and height h
 X_{CLIM} = a climate element at time/location/height

ε = random error at time/place/height
(recording error, instrument error etc.)

λ = systematic error at time/place/height *possibly correlated*
(station move, exposure change, instrument change,
observing practice change, urbanisation etc.)



Belper
September 1st
1885

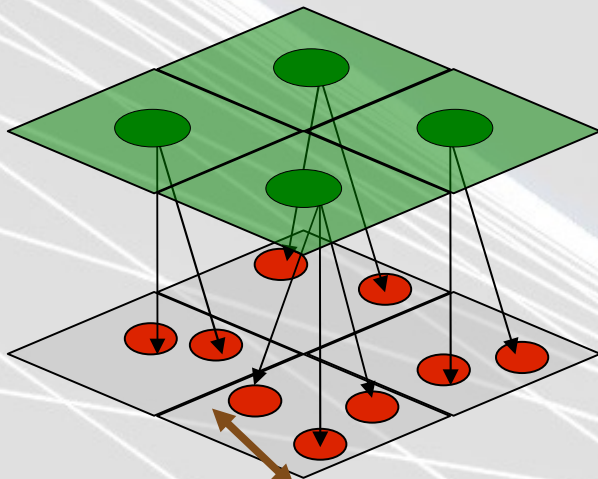


The Concept

'Truth'
unknown

Team Creation

$$\text{XTRUTH}_{(t,l,h)} = \mathbf{D}_{t,l,h} + \mathbf{S}_{t,l,h} + \mathbf{T}_{t,l,h} + \mathbf{M}_{t,l,h} + \varepsilon_{t,l,h}$$



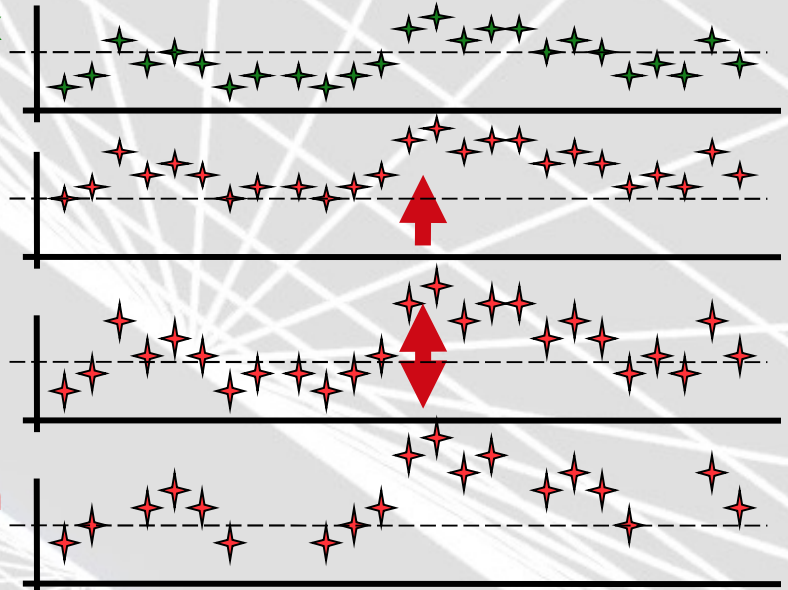
Realistic spatial covariance

GCM gridbox timeseries

adjusted mean

adjusted variance

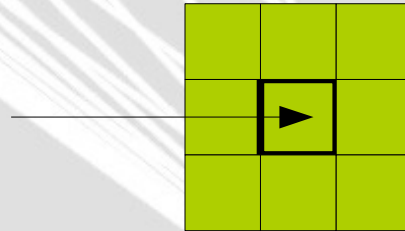
missing data applied



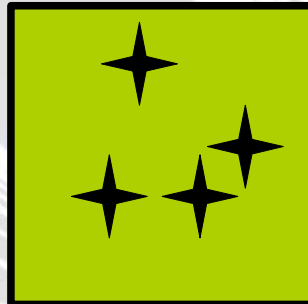
Reproduce actual station climatology, variance and interstation relationships
Realistic global station coverage ~60000!

11 Step How To...

1) Choose a climate model gridbox and create a month anomaly series (subtract month climatology and divide by month standard deviation)

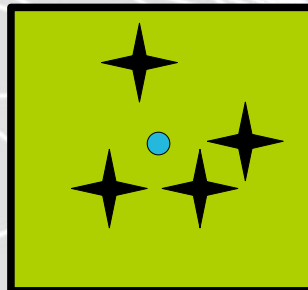


2) Get all observing stations within that gridbox



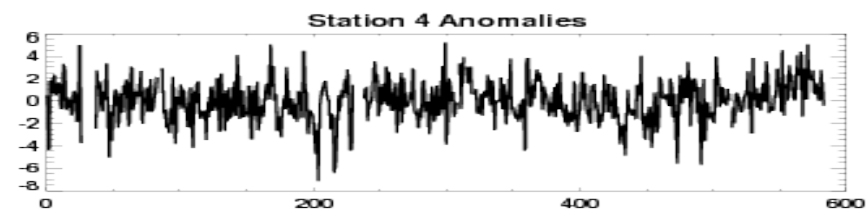
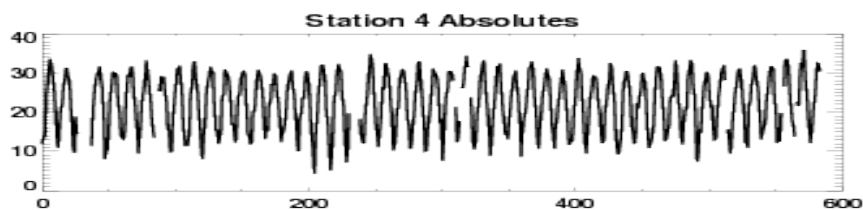
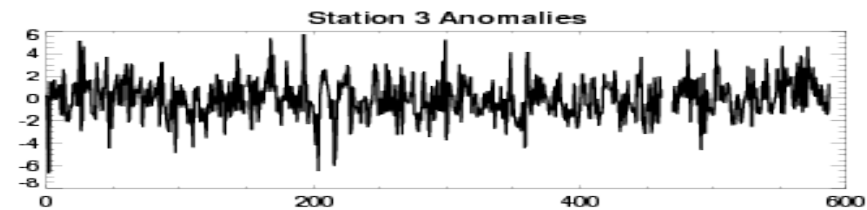
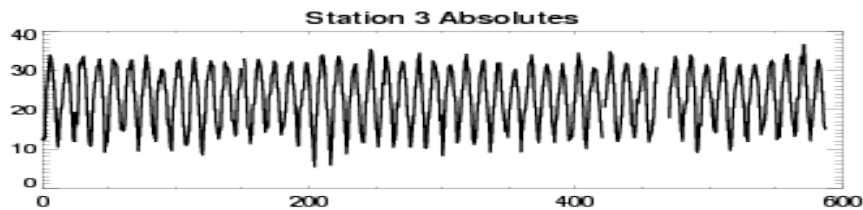
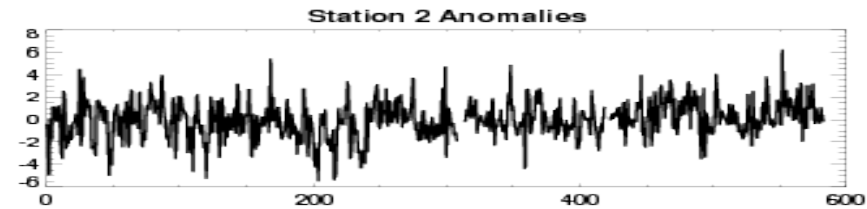
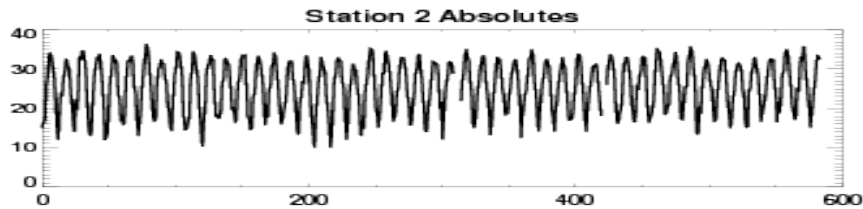
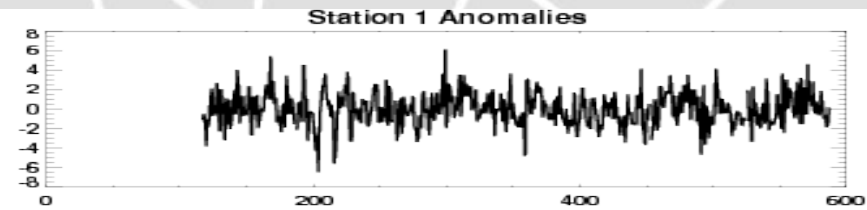
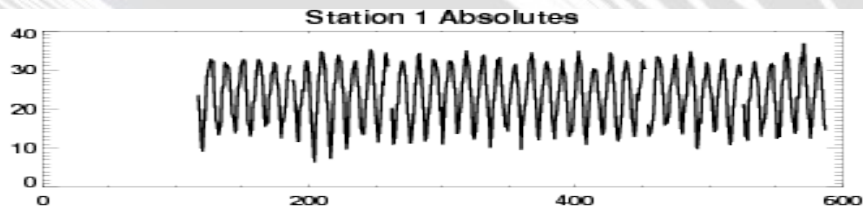
3) Create station weights by distance/elevation from gridbox centre

Centre = 1, >150km = 0.5.



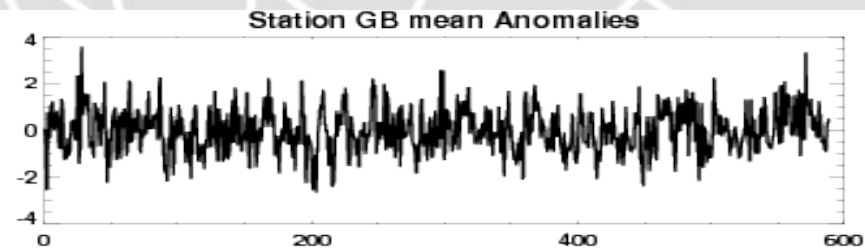
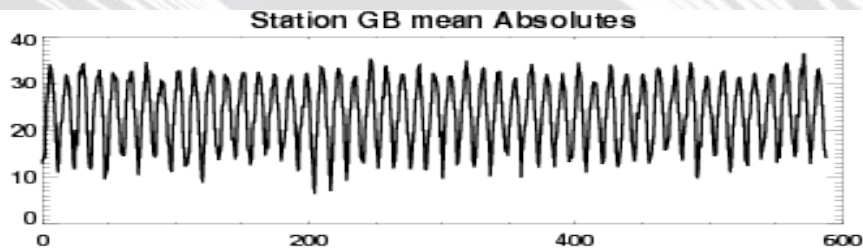
11 Step How To...

4) Create station climatology, standard deviations, anomalies (subtract month climatology, divide by month standard deviation)



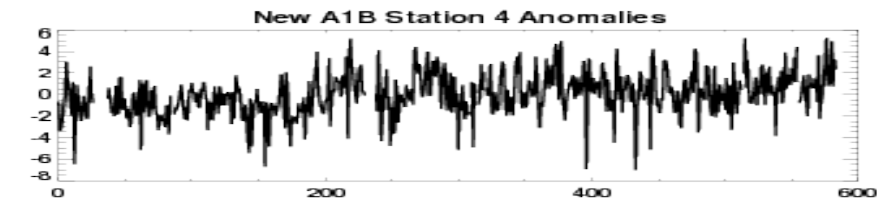
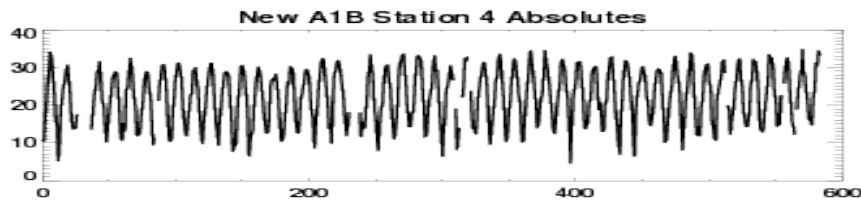
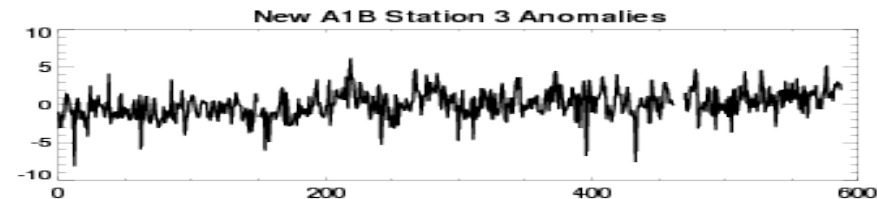
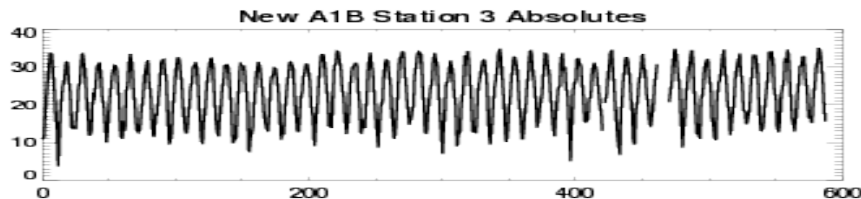
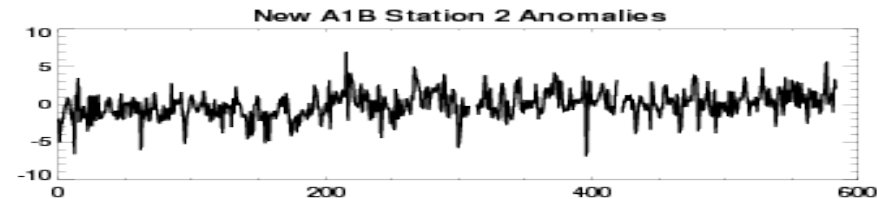
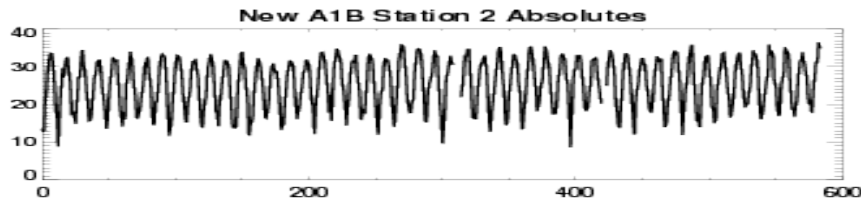
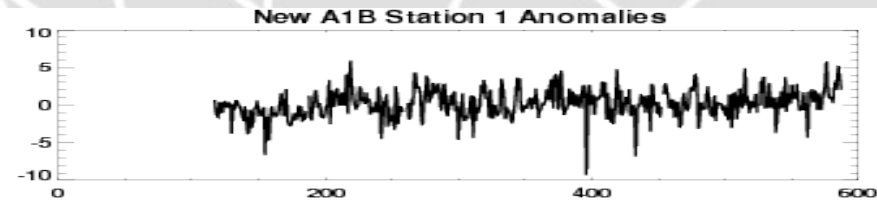
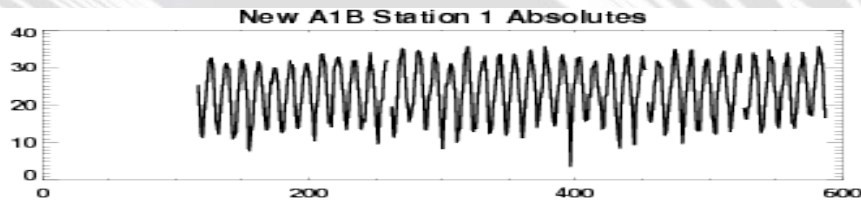
11 Step How To...

5) Create weighted (using vertical+horizontal distance) gridbox mean from all stations and create anomalies (subtract month climatology, divide by month standard deviation)



11 Step How To...

6) Create station-GBmean difference series:
CAUTION - stations with changepoints may cause problems - these may be introduced into the other station-GBmean series too.



11 Step How To...

7) Test these series to make sure that they are stationary and basically fit an AR(1) model

- Is it possible to detrend these in a way that is consistent across all series?**
- Infill missing data with climatology or collapse to present data only?**
- treat these series as a matrix $[X]$ n by K :
 - n rows for the number of months in the time series
 - K columns for the number of stations (4)

$$[X] = \begin{matrix} X_{1,1} & X_{1,2} & X_{1,3} & X_{1,4} \\ X_{2,1} & X_{2,2} & X_{2,3} & X_{2,4} \\ \dots\dots & & & \\ \dots\dots & & & \\ X_{n,1} & X_{n,2} & X_{n,3} & X_{n,4} \end{matrix}$$

11 Step How To...

8) Model the multivariate station-GBmean relationship in standardised anomaly space

- do something clever involving a lot of covariance matrices:

Φ = the autoregressive parameter
a K by K matrix - fixed over time

Z_t = the random shock bit

a K by K matrix for each time point?

A distribution based on the variance-covariance matrix such that a random value is plucked for each time point?

Γ = calculated for lag=0 ($\Gamma(0)$?) and lag=1 ($\Gamma(1)$?)

- this gives a way of simulating values of $X_{1-n,1}$, $X_{1-n,2}$... for example based on some initial starting value (?) governed by an AR(1) model which should hopefully replicate the 'noise' in X but hopefully not incorporate any significant systematic bias (tricky - but hoping the differencing will have reduced this)

11 Step How To...

9) Create new difference (i.e., station-GBmean) series for each station using the model:

$$\mathbf{A}_t = \phi \mathbf{A}_{t-1} + \mathbf{Z}_t$$

- such that

$$[\mathbf{A}] = \begin{matrix} A_{1,1} & A_{1,2} & A_{1,3} & A_{1,4} \\ A_{2,1} & A_{2,2} & A_{2,3} & A_{2,4} \\ \dots\dots\dots & & & \\ \dots\dots\dots & & & \\ A_{n,1} & A_{n,2} & A_{n,3} & A_{n,4} \end{matrix}$$

11 Step How To...

10) Add the standardised anomalies of the Climate model gridbox to each station difference series in A:

- such that

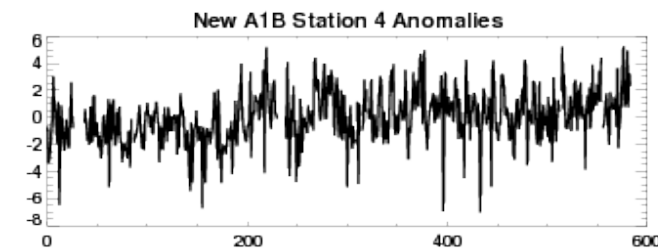
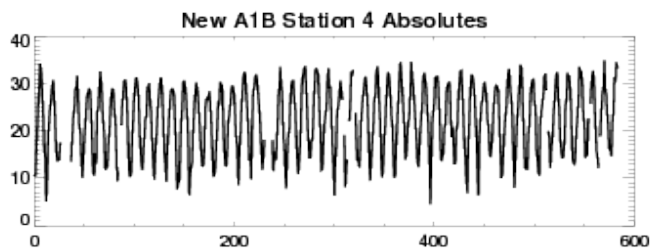
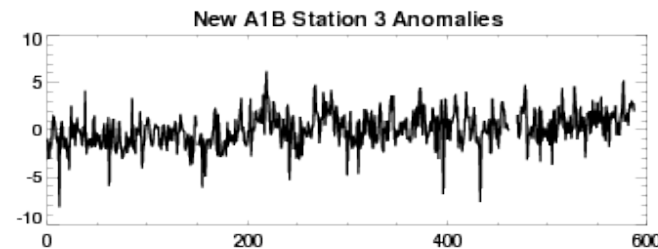
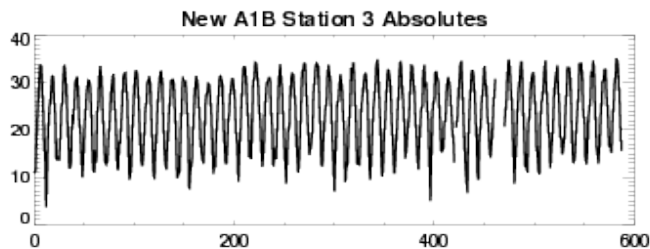
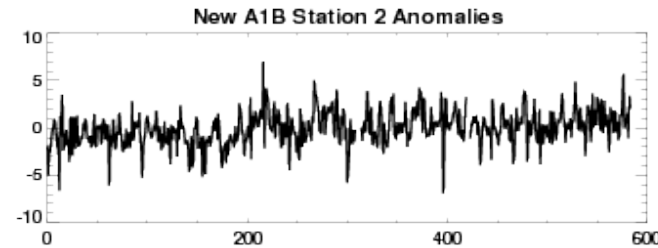
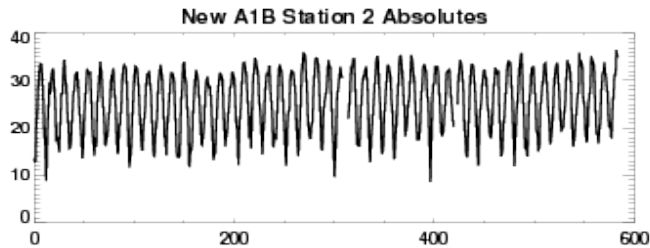
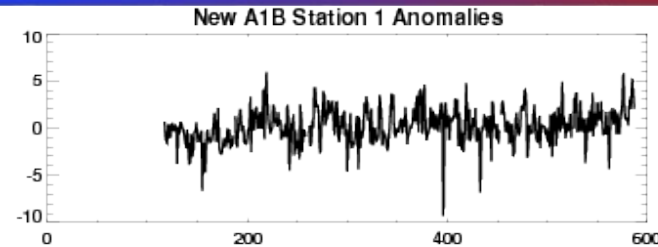
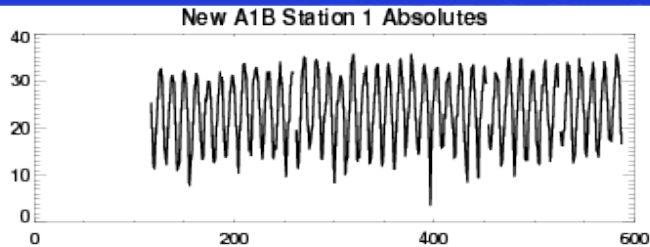
$$[\text{NewStationAnom}] = \begin{matrix} \text{GCM}_1 + A_{1,1} & \text{GCM}_1 + A_{1,2} & \text{GCM}_1 + A_{1,3} & \text{GCM}_1 + A_{1,4} \\ \text{GCM}_2 + A_{2,1} & \text{GCM}_2 + A_{2,2} & \text{GCM}_2 + A_{2,3} & \text{GCM}_2 + A_{2,4} \\ \dots\dots\dots & & & \\ \dots\dots\dots & & & \\ \text{GCM}_n + A_{n,1} & \text{GCM}_n + A_{n,2} & \text{GCM}_n + A_{n,3} & \text{GCM}_n + A_{n,4} \end{matrix}$$

11) Add back each station's month climatology and multiply by its month standard deviation to product the analog-known-worlds

- may need to add white noise
- mask with actual missing data points from real stations
- CHECK IT DOESN'T CONTAIN ANY CHANGEPOINTS?

This gives 4 analog-known-worlds based on a Climate model background time series using the station microclimate information from the real stations.

Creation: Result?



Same missing data

Same climatological means

Same variance

Similar interstation correlations for a plausible climate scenario over time

No systematic biases